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Symbol Index

$\{\bullet N P_a^m\}$ — 851

$\{\circ N P_a^m\}$ — 851

$\{{}^\bullet_\circ N P_a^m\}$ — 851

$\{N P_a^m\}$ — 851

A_a — restriction of set A by integer a — 852, 853

$\{\bullet N P_a^m\}_a$ — restriction of set $\{\bullet N P_a^m\}$ by integer a — 853

$\{\circ N P_a^m\}_a$ — restriction of set $\{\circ N P_a^m\}$ by integer a — 853

$\{N P_a^m\}_a$ — restriction of set $\{N P_a^m\}$ by integer a — 853

$U(A_1, A_2, \cdots, A_K)$ — union of sets $A_1, A_2, \cdots, A_K$ — 853

${}^\bullet_\circ 2P_a^m$ — Blue and red progressions $2P_a^m$ — 867

$\{N P_a^m\}'$ — subset of set $\{N P_a^m\}$ — 885

$\{N P_a^m\}'_a$ — subset of set $\{N P_a^m\}_a$ — 885

$2P_j^i$ — $2P_a^m$ with i,j instead of m,a — 895

$(2P_j^i)_a$ — 896

$(2P_j^i)$ — 898

$(2P_j^1, 2P_j^2, \cdots, 2P_j^i)$ — 898, 1128

$(+ 2P_j^i)$ — 898, 899, 1128, 1131

$\mathbb{O}$ — 2^K-point digit $00\cdots0$ — 926, 917, 920–921, 922

$\mathbb{1}$ — 2^K-point digit $11\cdots1$ — 926, 917, 920–921, 922

$(2P_1^i, 2P_2^i, \cdots, 2P_j^i)$ — 1129

$[+ 2P_j^i]$ — 1129, 1131

$\equiv$ — (in Ch.7) by definition — 1172, 1177

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$\overline{*}$ overlined asterisk   1259, 1266–1268

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string   1268–1269, 1306

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